



Development of high-performance Q-band waveguide assemblies for polarization measurements

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UNIVERSITÀ DEGLI STUDI
DI MILANO



ASI and INFN funded experiment aimed at the detection of the Cosmic Microwave Background B-modes at large angular scales
25% fraction of the sky in the northern hemisphere

CMB features

- Monopole term: 2.725 K blackbody
- Anisotropy: $\sim 100 \mu\text{K rms}$
- E-mode polarization: $\sim 3 \mu\text{K rms}$
- B-mode polarization: $< 1 \mu\text{K rms}$

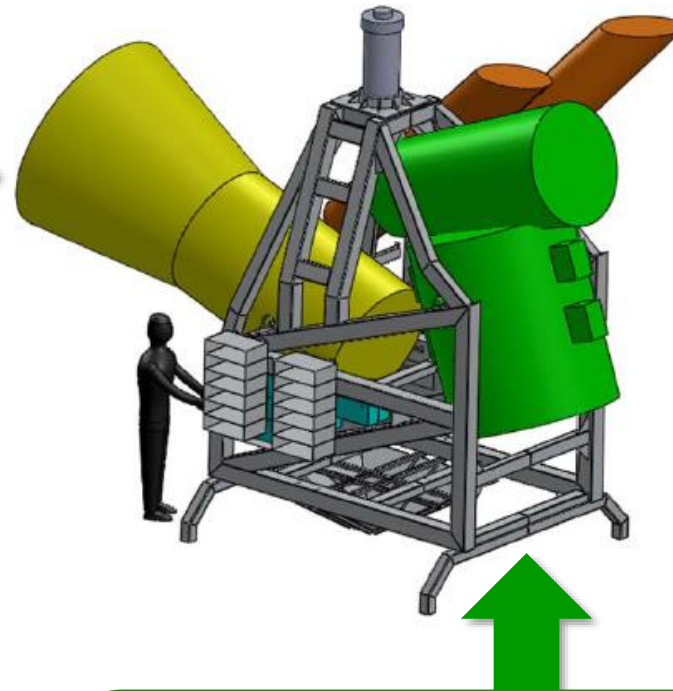


Instrumentation requirements

- High sensitivity to polarization state
- High system stability
- Very low instrumental systematics: cross-polarization, noise, channel equalization, ...
- Precise foreground measurements
- Independent and multi-band measurements

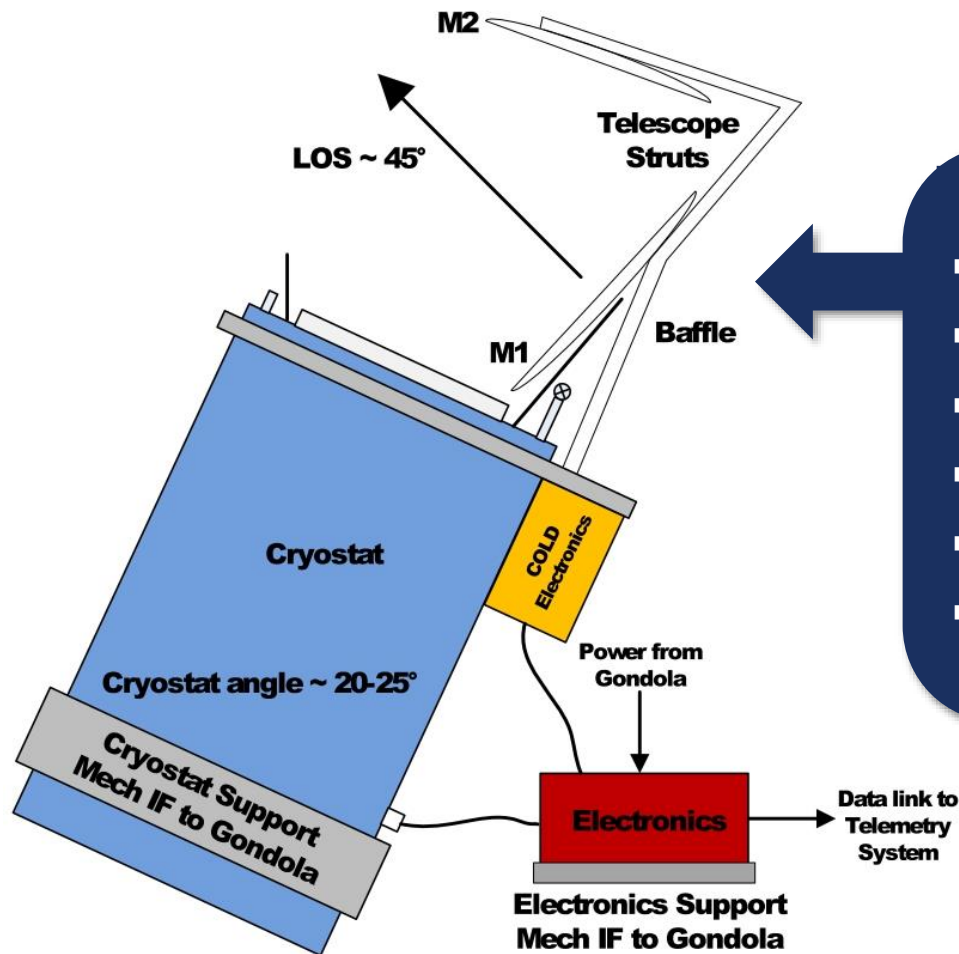
Short Wavelength Instrument for the Polarization Explorer (SWIPE):

- Bolometric detectors
- 140 - 240 GHz



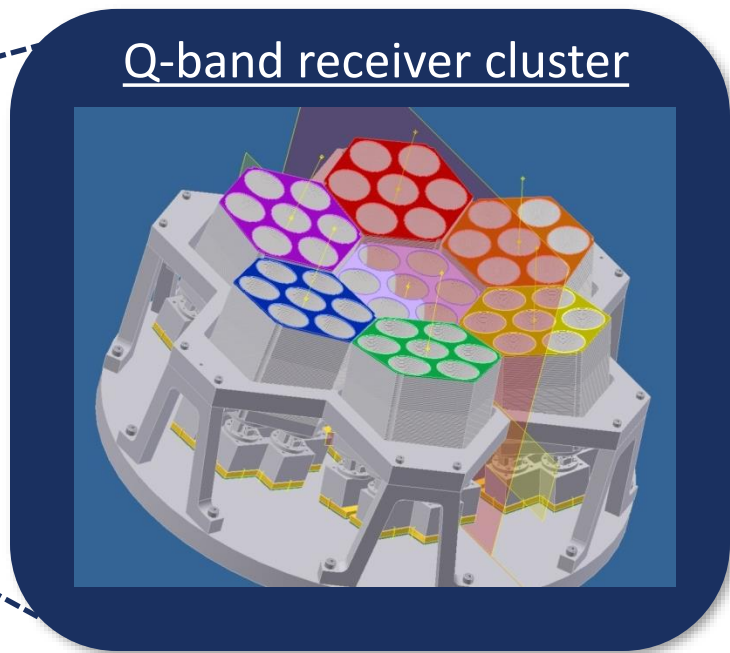
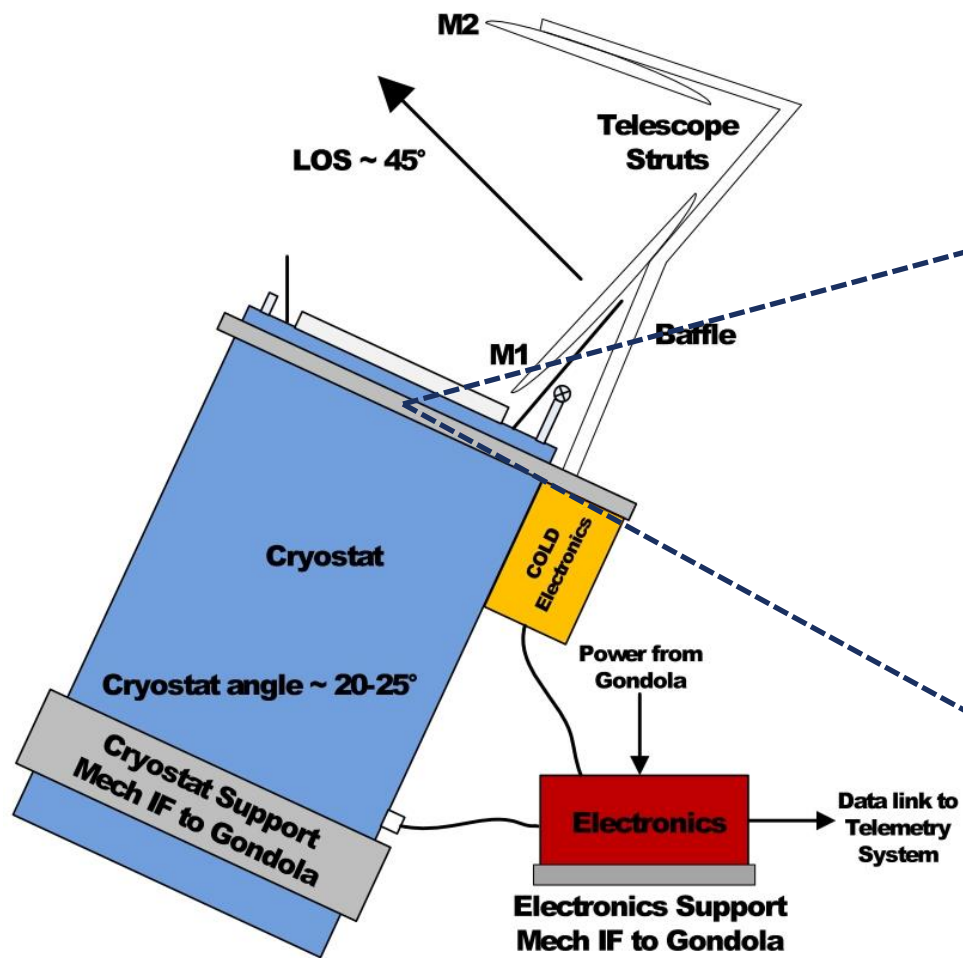
STRatospheric Italian Polarimeter (STRIP)

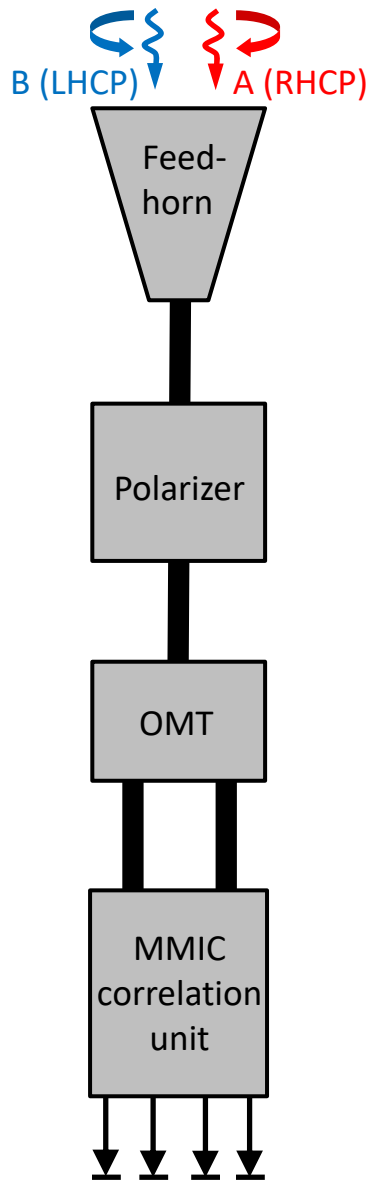
- Coherent detectors
- Circular-polarizations correlation polarimeters
- Q-band cluster @ 39 - 48 GHz
- W-band cluster @ 85 - 104 GHz



Telescope

- Angular resolution ~ 1.5 deg (FWHM)
- Cross-polarization < -30 dB
- Side-lobe levels < -55 dB
- Dragonian side-fed optics
- M1: 600 mm diameter parabolic reflector
- M2: hyperbolic reflector





Polarimeter receiver based on the correlation of the input circular polarizations for the simultaneous detection of the Stokes parameters Q and U

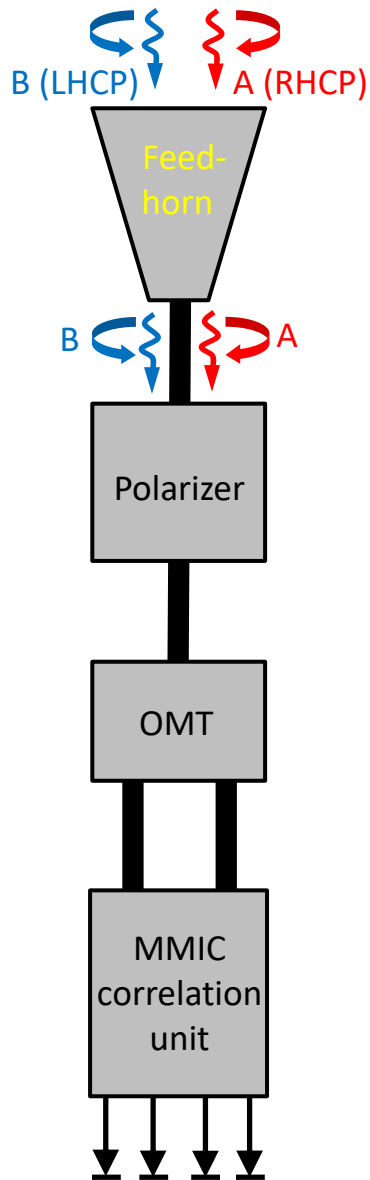
Stokes parameters

$$Q = \langle |E_x|^2 - |E_y|^2 \rangle = \langle 2\text{Re}\{AB^*\} \rangle$$

$$U = \langle 2\text{Re}\{E_x E_y^*\} \rangle = \langle 2\text{Im}\{AB^*\} \rangle$$

$$V = \langle -2\text{Im}\{E_x E_y^*\} \rangle = \langle |B|^2 - |A|^2 \rangle$$

$$I = \langle |E_x|^2 + |E_y|^2 \rangle = \langle |A|^2 + |B|^2 \rangle$$



Polarimeter receiver based on the correlation of the input circular polarizations for the simultaneous detection of the Stokes parameters Q and U

Stokes parameters

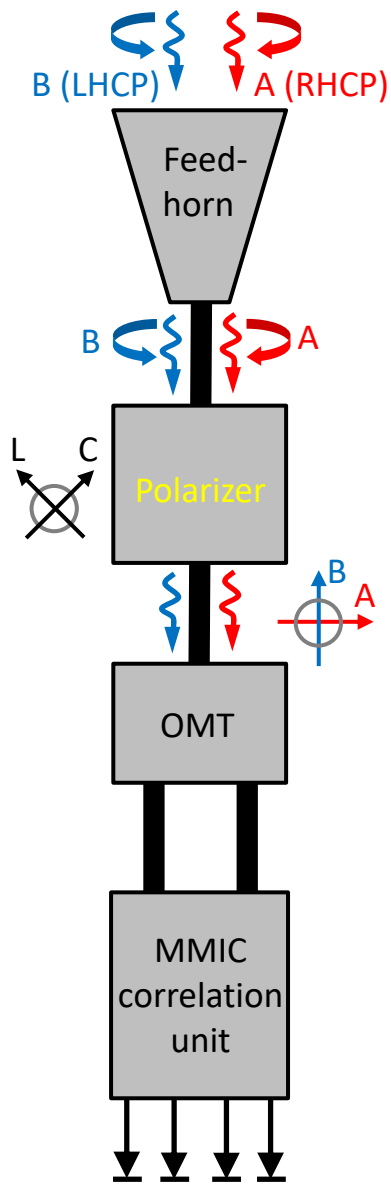
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Stokes parameters

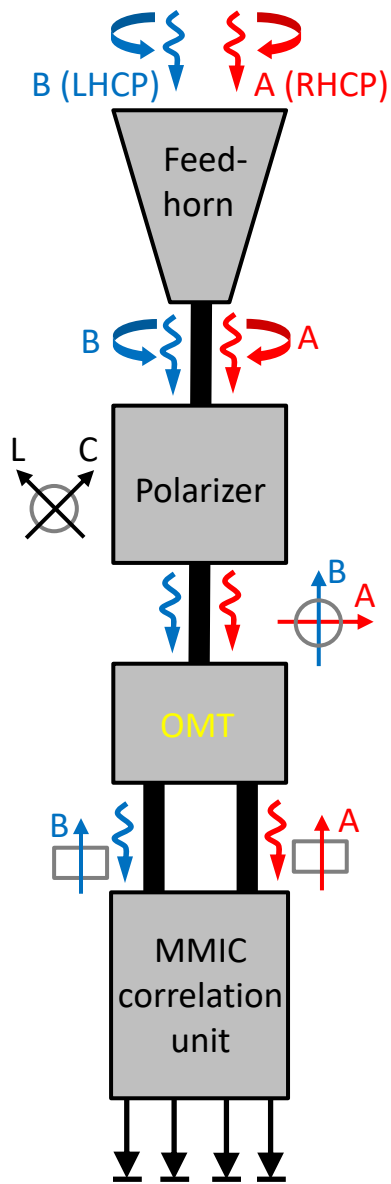
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Polarimeter receiver based on the correlation of the input circular polarizations for the simultaneous detection of the Stokes parameters Q and U



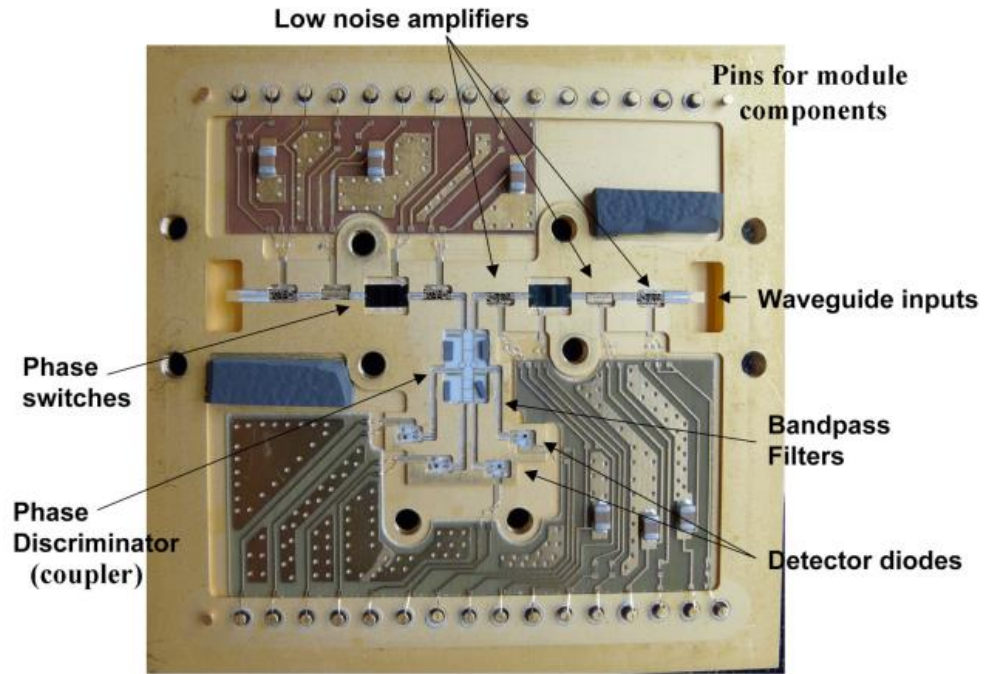
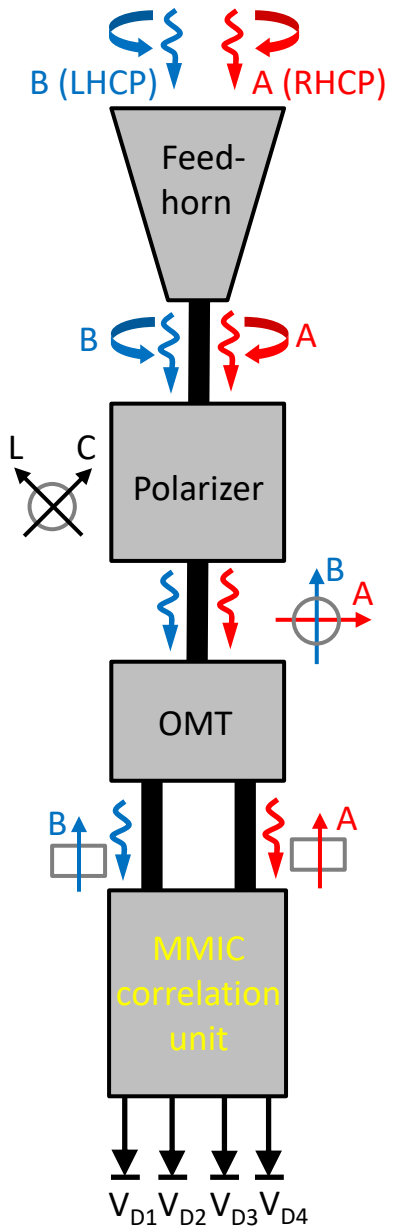
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Detected signals

$$V_{D1} \propto \langle |A + B|^2 \rangle$$

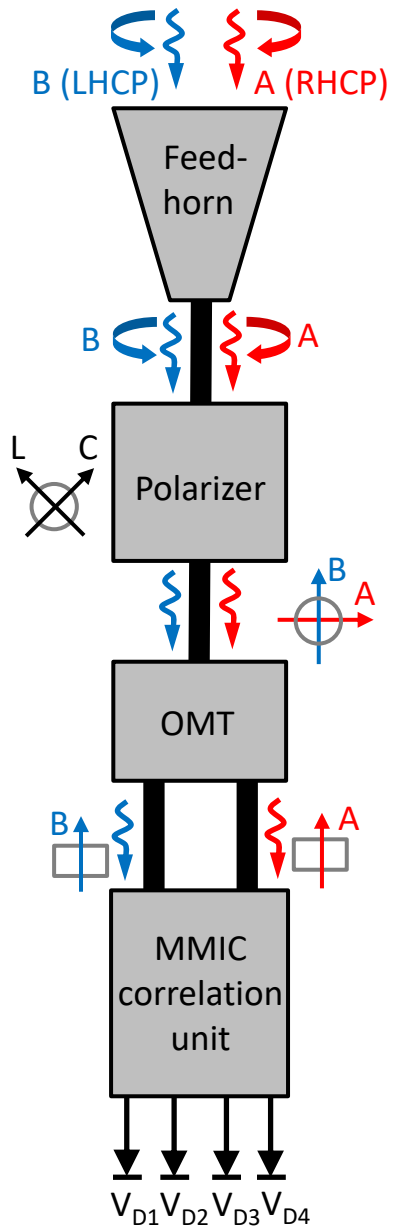
$$V_{D2} \propto \langle |A - B|^2 \rangle$$

$$V_{D3} \propto \langle |A + jB|^2 \rangle$$

$$V_{D4} \propto \langle |A - jB|^2 \rangle$$

$$Q_m \propto V_{D1} - V_{D2}$$

$$U_m \propto V_{D3} - V_{D4}$$

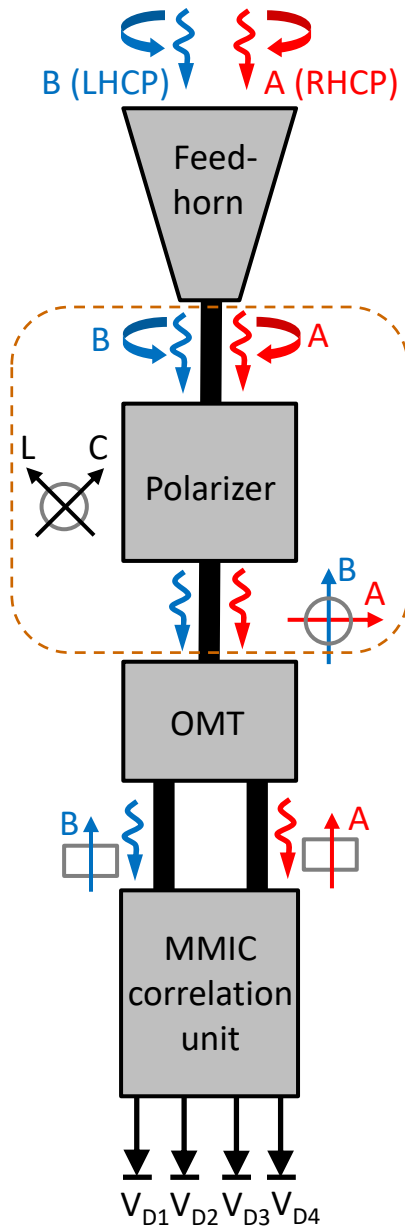


Muller matrix representation

$$\begin{bmatrix} Q \\ U \\ V \\ I \end{bmatrix}_{\text{out}} = M \cdot \begin{bmatrix} Q \\ U \\ V \\ I \end{bmatrix}_{\text{in}} = \begin{bmatrix} H & K \\ P & N \end{bmatrix} \cdot \begin{bmatrix} Q \\ U \\ V \\ I \end{bmatrix}_{\text{in}}$$

$$\begin{bmatrix} Q \\ U \end{bmatrix}_{\text{out}} = \begin{bmatrix} H_{QQ} & H_{QU} \\ H_{UQ} & H_{UU} \end{bmatrix} \cdot \begin{bmatrix} Q \\ U \end{bmatrix}_{\text{in}} + \begin{bmatrix} K_{QV} & K_{QI} \\ K_{UV} & K_{UI} \end{bmatrix} \begin{bmatrix} V \\ I \end{bmatrix}_{\text{in}}$$

To be minimized



$$S^{(2,1)} = \begin{bmatrix} T_{LL} & T_{LC} \\ T_{CL} & T_{CC} \end{bmatrix}$$

$$\begin{bmatrix} Q \\ U \end{bmatrix}_{\text{out}} = \begin{bmatrix} H_{QQ} & H_{QU} \\ H_{UQ} & H_{UU} \end{bmatrix} \cdot \begin{bmatrix} Q \\ U \end{bmatrix}_{\text{in}} + \begin{bmatrix} K_{QV} & K_{QI} \\ K_{UV} & K_{UI} \end{bmatrix} \cdot \begin{bmatrix} V \\ I \end{bmatrix}_{\text{in}}$$

$$H_{QQ} = \frac{1}{2} \{ |T_{LL}|^2 + |T_{CC}|^2 - |T_{LC}|^2 - |T_{CL}|^2 \}$$

$$H_{QU} = \text{Re}\{T_{LL}T_{LC}^* - T_{CL}T_{CC}^*\}$$

$$H_{UQ} = \text{Im}\{T_{LL}T_{CL}^* - T_{LC}T_{CC}^*\}$$

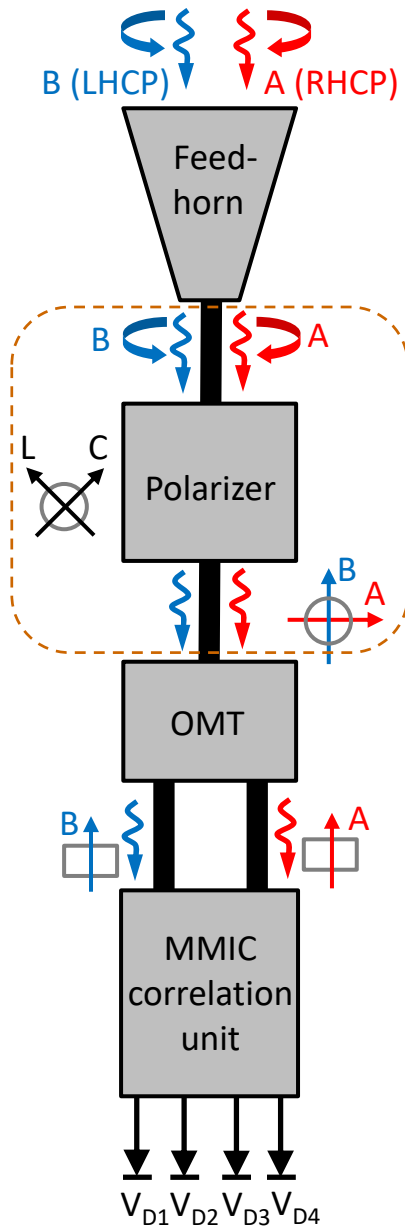
$$H_{UU} = \text{Im}\{T_{LC}T_{CL}^* + T_{LL}T_{CC}^*\}$$

$$K_{QI} = \frac{1}{2} \{ |T_{LL}|^2 - |T_{CL}|^2 + |T_{LC}|^2 - |T_{CC}|^2 \}$$

$$K_{QV} = \text{Im}\{T_{LL}T_{LC}^* - T_{CL}T_{CC}^*\}$$

$$K_{UI} = \text{Im}\{T_{LL}T_{CL}^* + T_{LC}T_{CC}^*\}$$

$$K_{UV} = \text{Re}\{T_{LC}T_{CL}^* - T_{LL}T_{CC}^*\}$$



$$S^{(2,1)} = \begin{bmatrix} T_{LL} & 0 \\ 0 & T_{CC} \end{bmatrix}$$

$$\begin{bmatrix} Q \\ U \end{bmatrix}_{\text{out}} = \begin{bmatrix} H_{QQ} & H_{QU} \\ H_{UQ} & H_{UU} \end{bmatrix} \cdot \begin{bmatrix} Q \\ U \end{bmatrix}_{\text{in}} + \begin{bmatrix} K_{QV} & K_{QI} \\ K_{UV} & K_{UI} \end{bmatrix} \cdot \begin{bmatrix} V \\ I \end{bmatrix}_{\text{in}}$$

$$H_{QQ} = \frac{1}{2} \{ |T_{LL}|^2 + |T_{CC}|^2 \}$$

$$H_{QU} = 0$$

$$H_{UQ} = 0$$

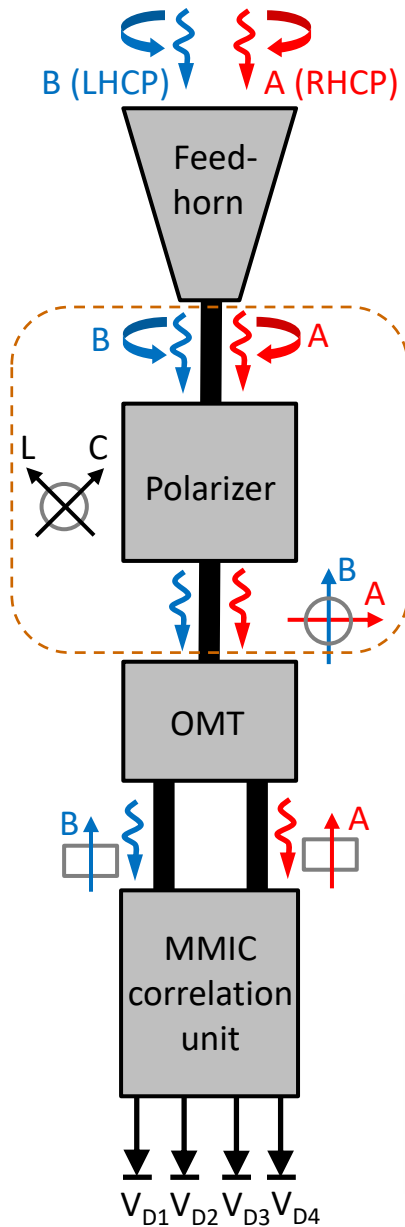
$$H_{UU} = \text{Im}\{T_{LL}T_{CC}^*\}$$

$$K_{QI} = \frac{1}{2} \{ |T_{LL}|^2 - |T_{CC}|^2 \}$$

$$K_{QV} = 0$$

$$K_{UI} = 0$$

$$K_{UV} = -\text{Re}\{T_{LL}T_{CC}^*\}$$



$$S^{(2,1)} = \begin{bmatrix} T_{LL} & 0 \\ 0 & T_{CC} \end{bmatrix}$$

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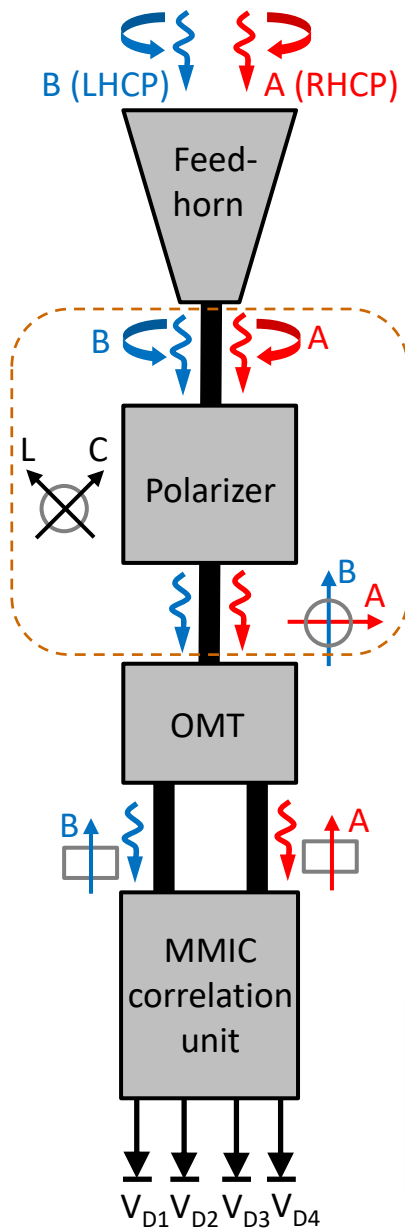
Differential phase-shift around 90 deg with minimization of phase error

$$K_{QI} = \frac{1}{2} \{ |T_{LL}|^2 - |T_{CC}|^2 \}$$

$$K_{QV} = 0$$

$$K_{UI} = 0$$

$$K_{UV} = -\text{Re}\{T_{LL}T_{CC}^*\}$$



$$S^{(2,1)} = \begin{bmatrix} T_{LL} & 0 \\ 0 & T_{CC} \end{bmatrix}$$

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$$H_{QQ} = \frac{1}{2} \{ |T_{LL}|^2 + |T_{CC}|^2 \}$$

$$H_{QU} = 0$$

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$$H_{UU} = \text{Im}\{T_{LL}T_{CC}^*\}$$

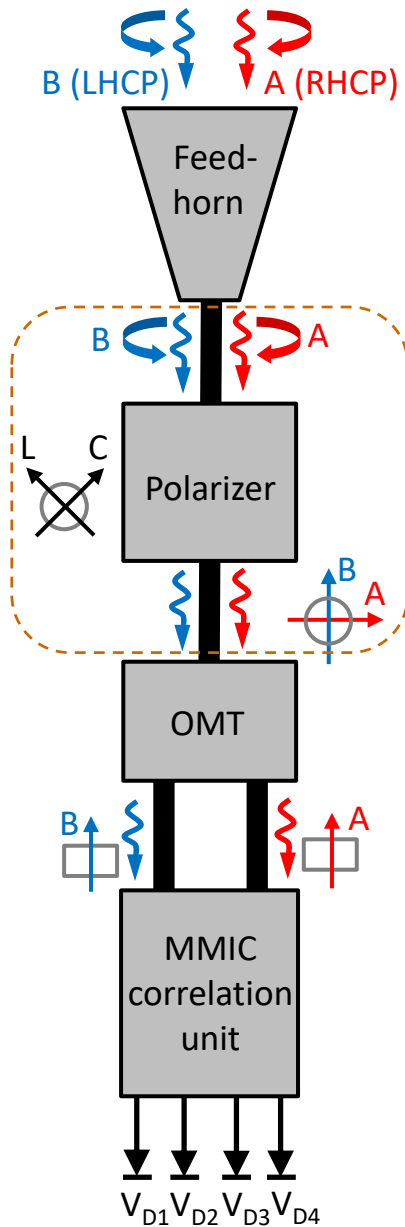
Insertion-loss
equalization

$$K_{QI} = \frac{1}{2} \{ |T_{LL}|^2 - |T_{CC}|^2 \}$$

$$K_{QV} = 0$$

$$K_{UI} = 0$$

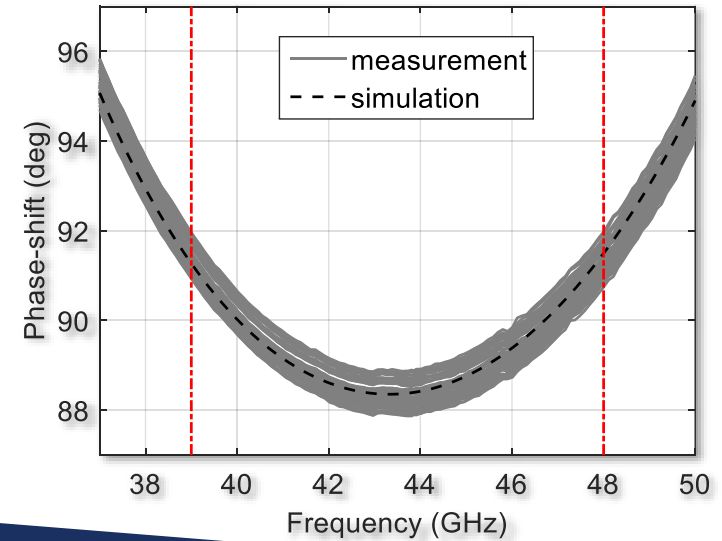
$$K_{UV} = -\text{Re}\{T_{LL}T_{CC}^*\}$$

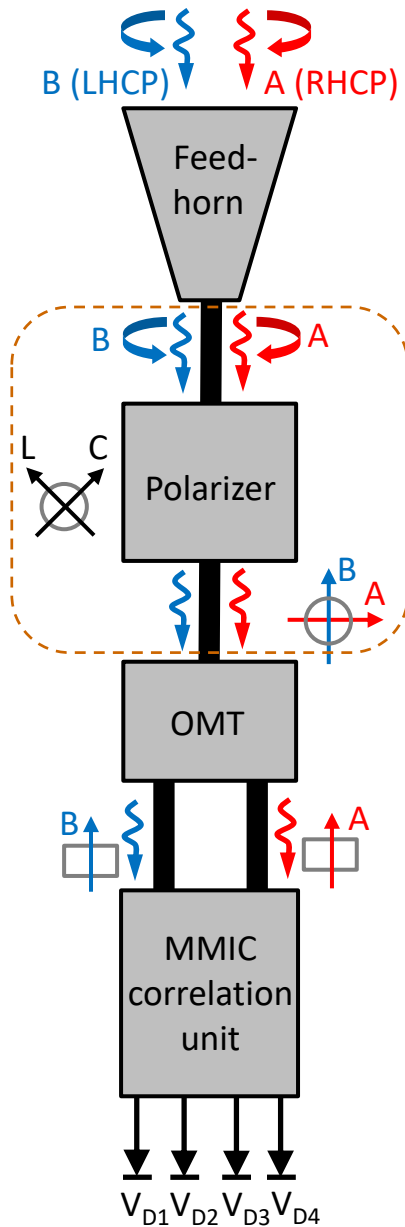


Measured performances	
Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
Return loss (dB)	> 36 (>20)
Insertion loss (dB)	< 0.07 (0.03 silver plated)
Insertion loss unbalancing (dB)	< 0.01
Phase-shift deviation from 90 deg (deg)	< 2.0
Cross-coupling (dB)	< -35

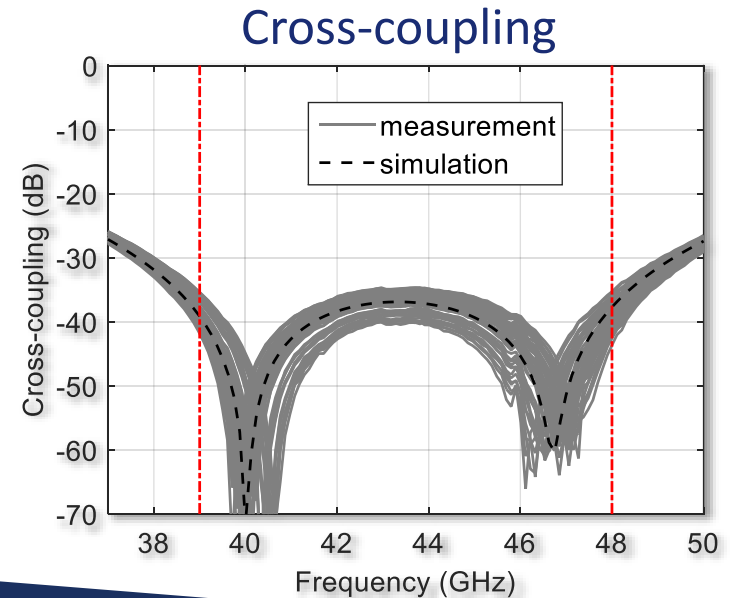


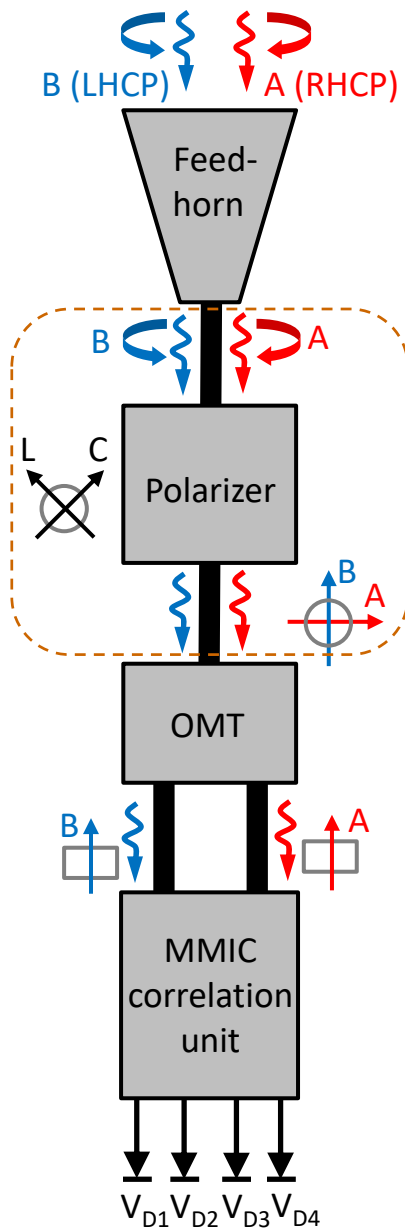
Phase-shift





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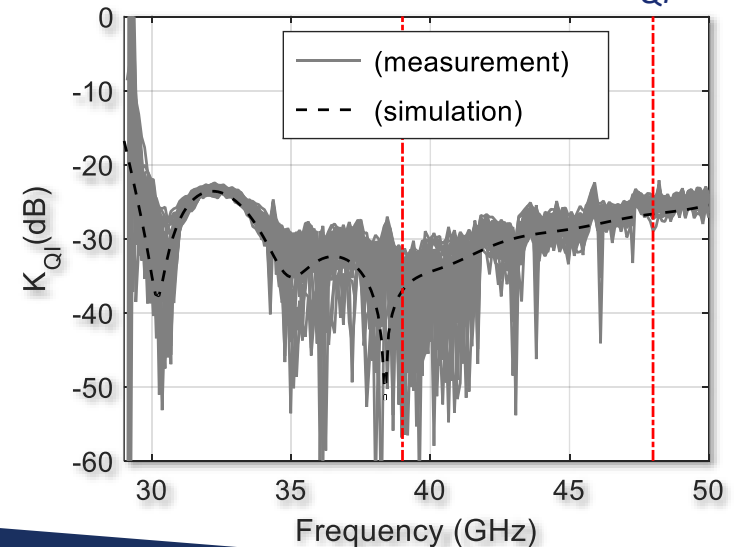


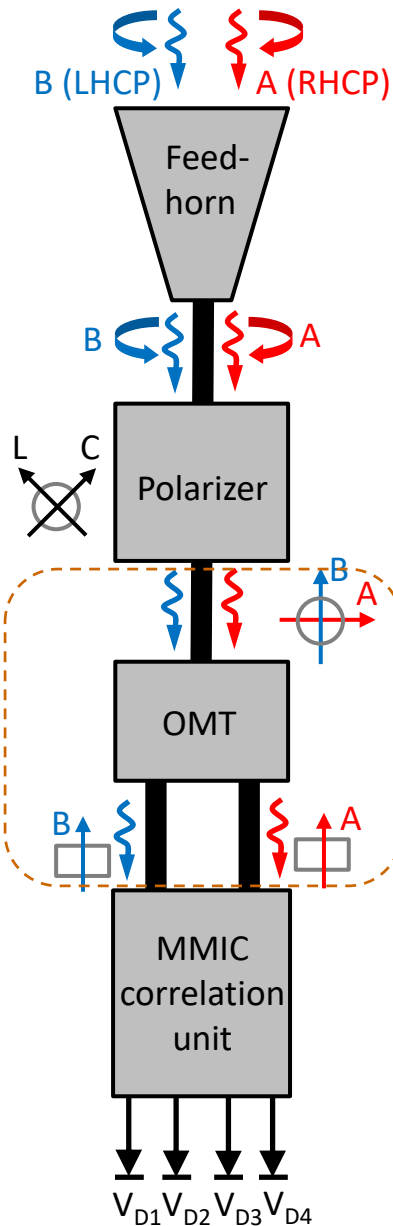


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Leakage coefficient K_{QI}





$$\mathbf{S}^{(2,1)} = \begin{bmatrix} T_{AA} & T_{AB} \\ T_{BA} & T_{BB} \end{bmatrix}$$

$$\begin{bmatrix} Q \\ U \end{bmatrix}_{\text{out}} = \begin{bmatrix} H_{QQ} & H_{QU} \\ H_{UQ} & H_{UU} \end{bmatrix} \cdot \begin{bmatrix} Q \\ U \end{bmatrix}_{\text{in}} + \begin{bmatrix} K_{QV} & K_{QI} \\ K_{UV} & K_{UI} \end{bmatrix} \cdot \begin{bmatrix} V \\ I \end{bmatrix}_{\text{in}}$$

$$H_{QQ} = \text{Re}\{T_{AA}T_{BB}^* + T_{AB}T_{BA}^*\}$$

$$H_{QU} = -\text{Im}\{T_{AA}T_{BB}^* - T_{AB}T_{BA}^*\}$$

$$H_{UQ} = \text{Im}\{T_{AA}T_{BB}^* + T_{AB}T_{BA}^*\}$$

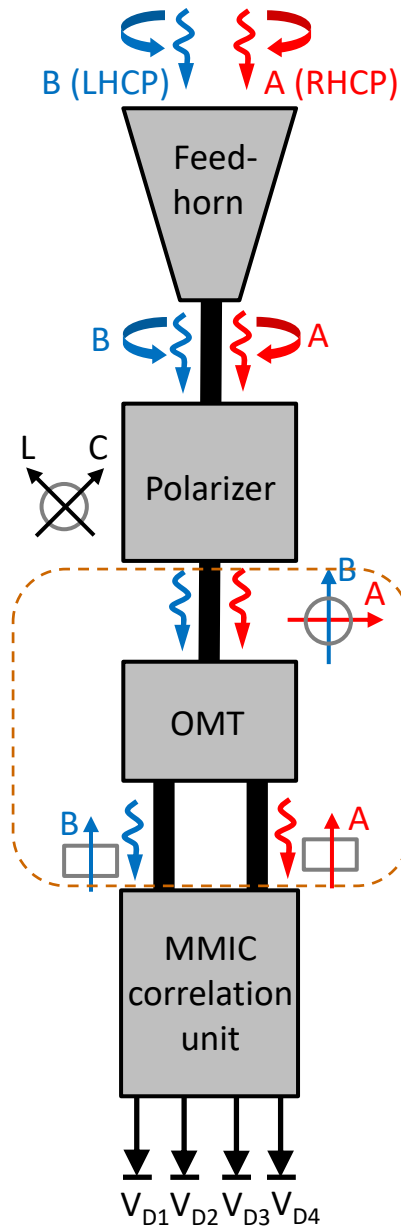
$$H_{UU} = \text{Re}\{T_{AA}T_{BB}^* - T_{AB}T_{BA}^*\}$$

$$K_{QI} = \text{Re}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{QV} = -\text{Re}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}$$

$$K_{UI} = \text{Im}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{UV} = -\text{Im}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}.$$



$$S^{(2,1)} = \begin{bmatrix} T_{AA} & T_{AB} \\ T_{BA} & T_{BB} \end{bmatrix}$$

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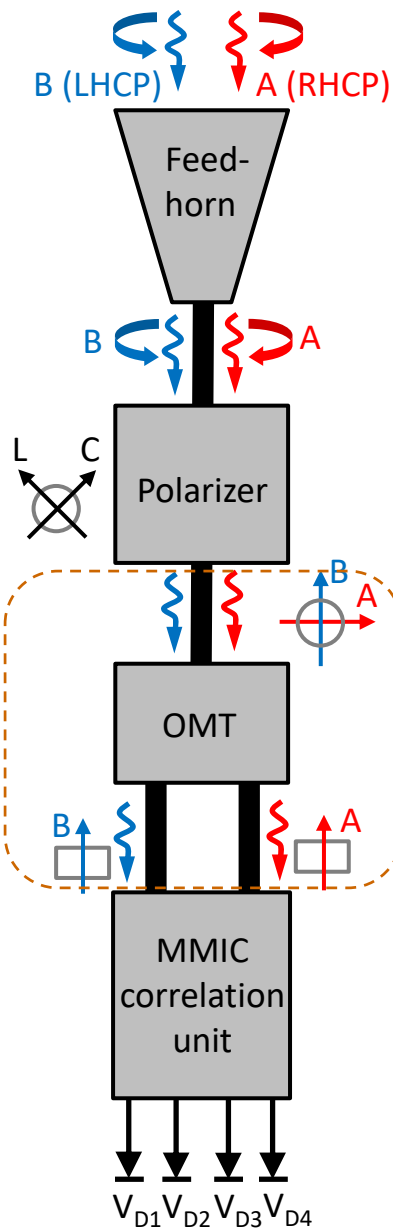
**Channel
equalization**

$$K_{QI} = \text{Re}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

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$$H_{QQ} = \text{Re}\{T_{AA}T_{BB}^* + T_{AB}T_{BA}^*\}$$

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$$H_{UU} = \text{Re}\{T_{AA}T_{BB}^* - T_{AB}T_{BA}^*\}$$

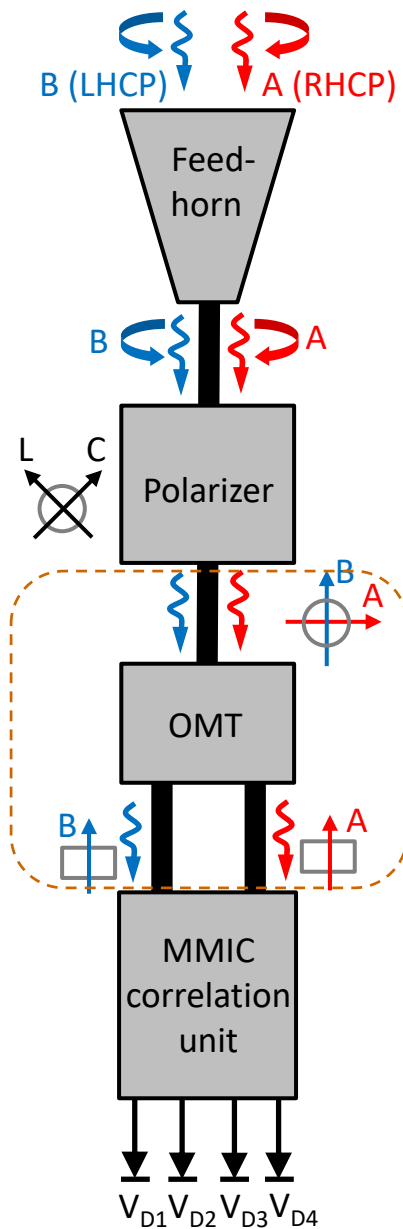
Low cross-couplings

$$K_{QI} = \text{Re}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{QV} = -\text{Re}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}$$

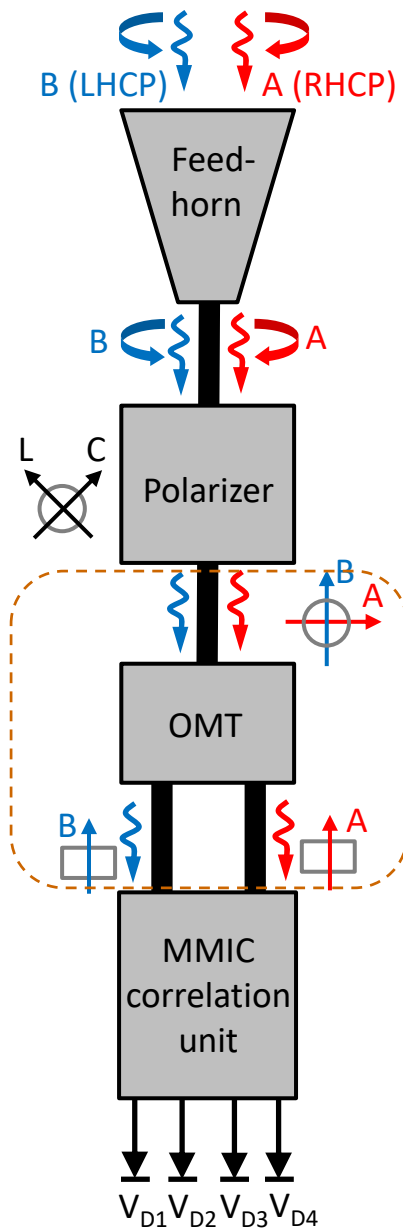
$$K_{UI} = \text{Im}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{UV} = -\text{Im}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}.$$



Turnstile-junction design

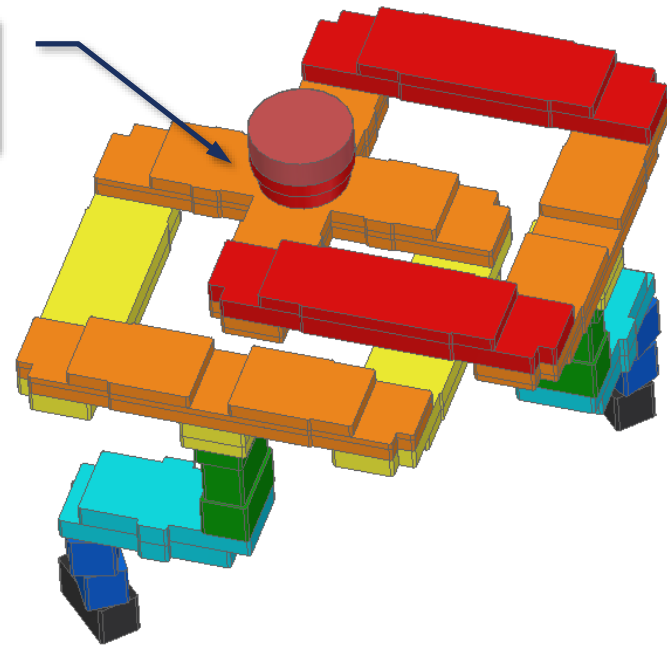
- Multi-layer layout with standard-thickness metal layers (platelet technique)

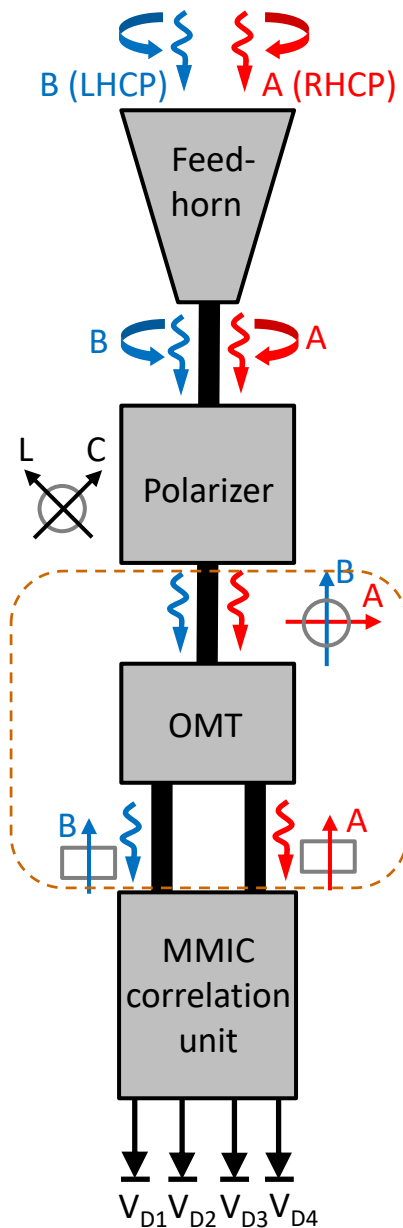


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

Turnstile junction

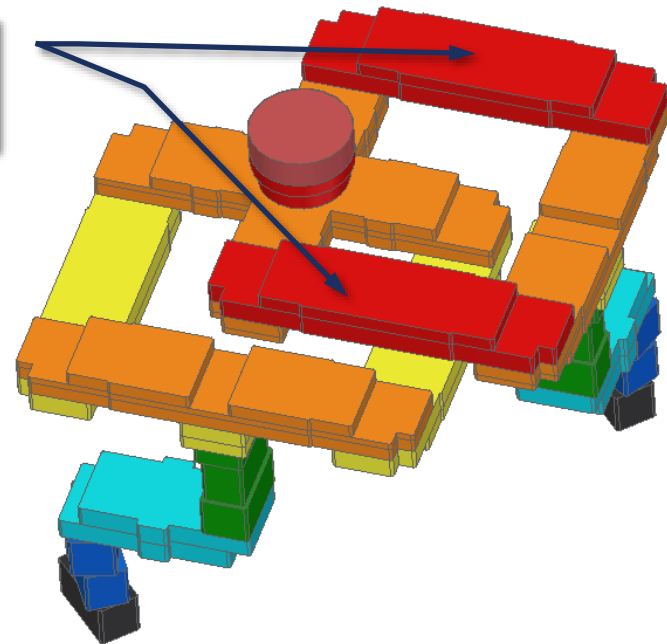


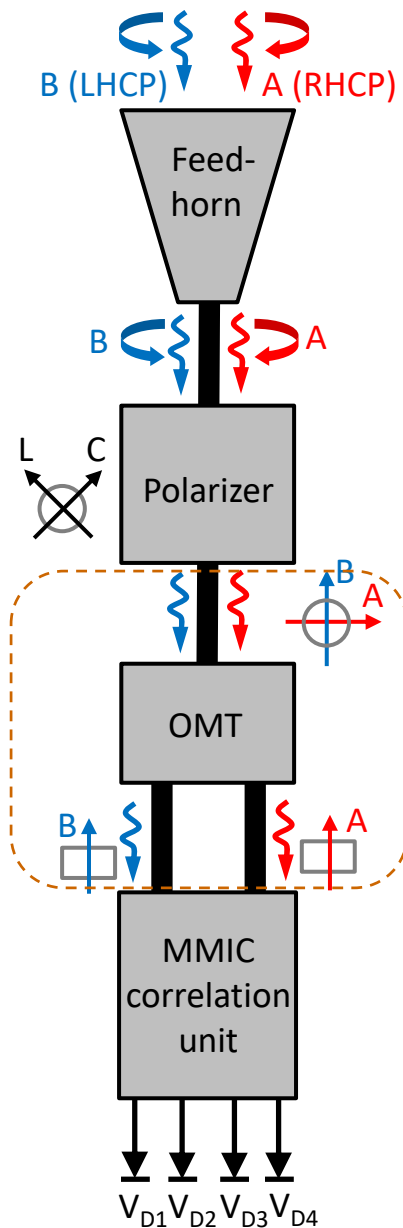


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

Upper stepped C-bends

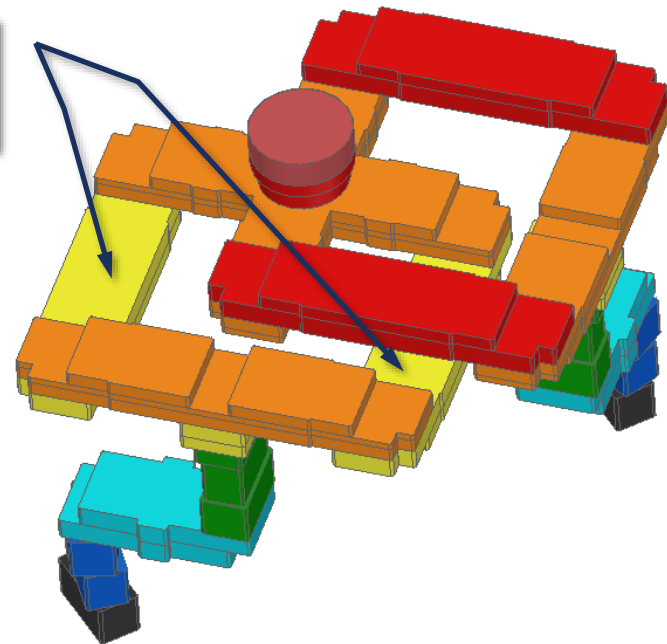


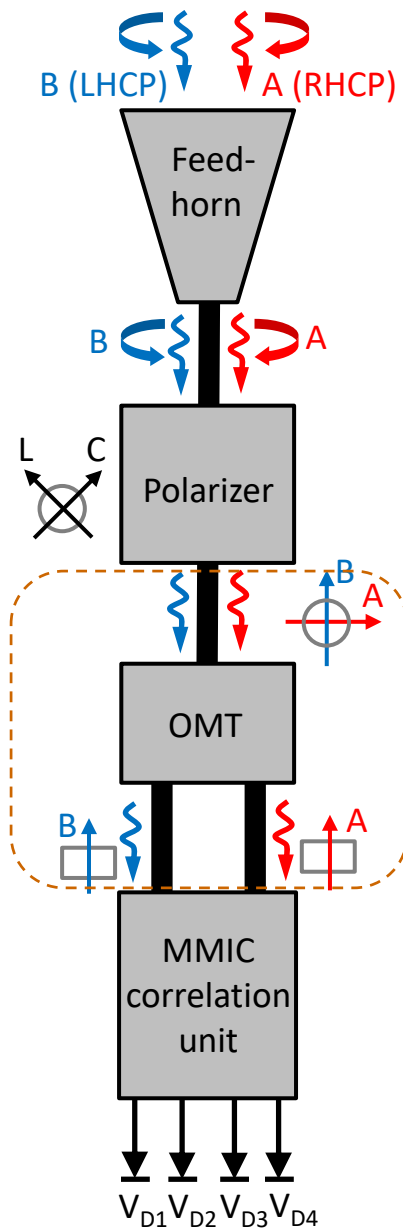


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

Lower stepped C-bends

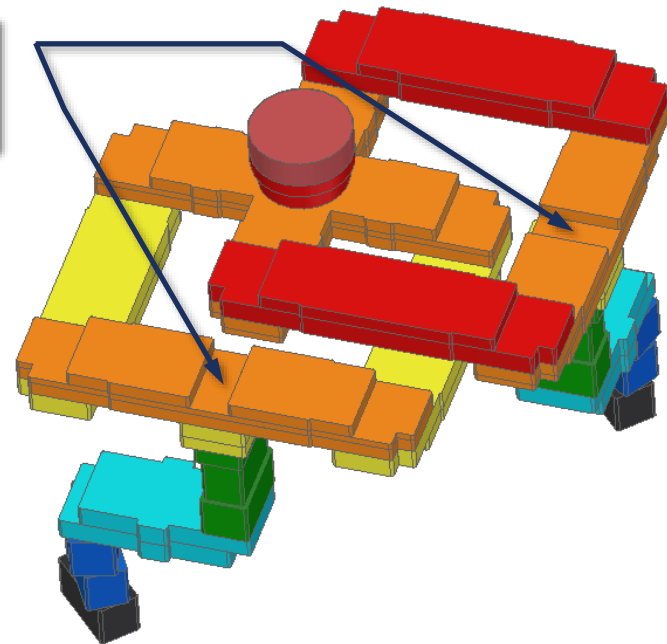


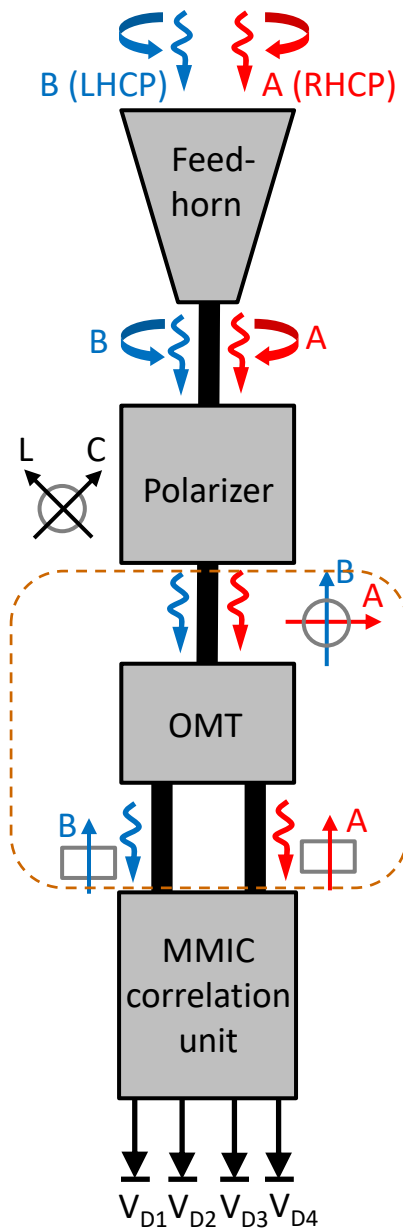


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

Stepped T-junctions

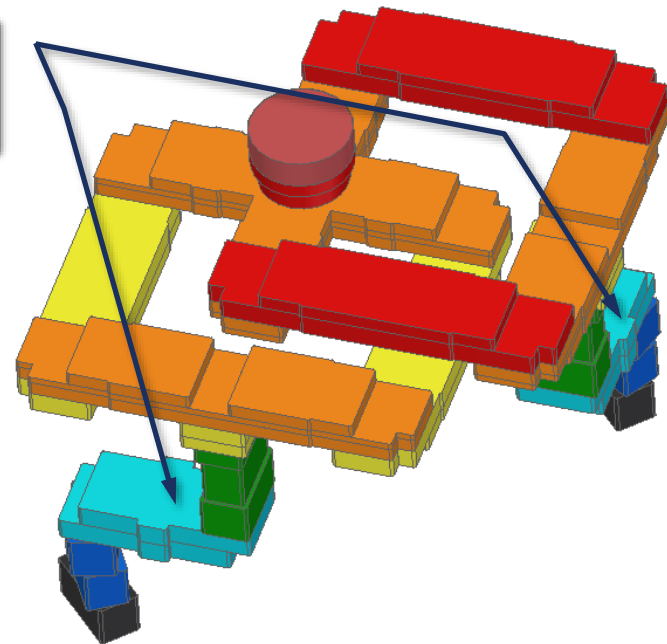


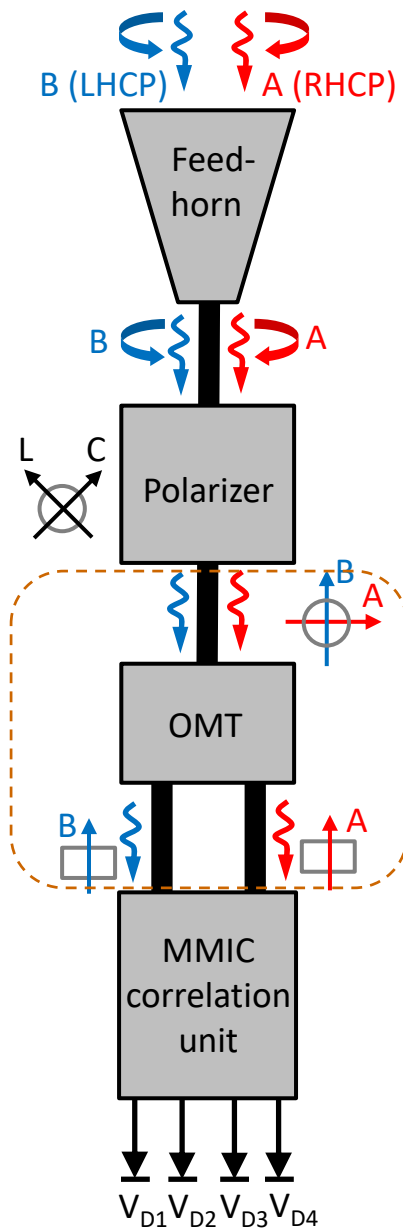


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

Stepped S-bends

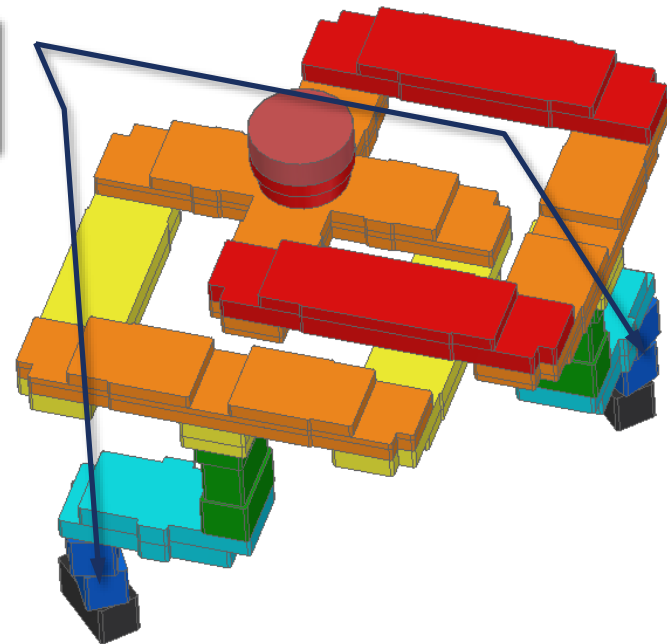


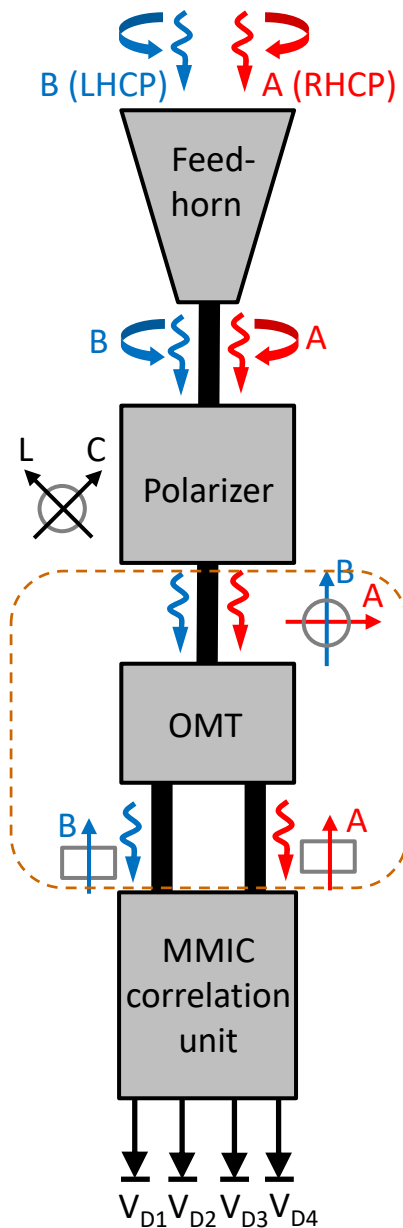


Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)

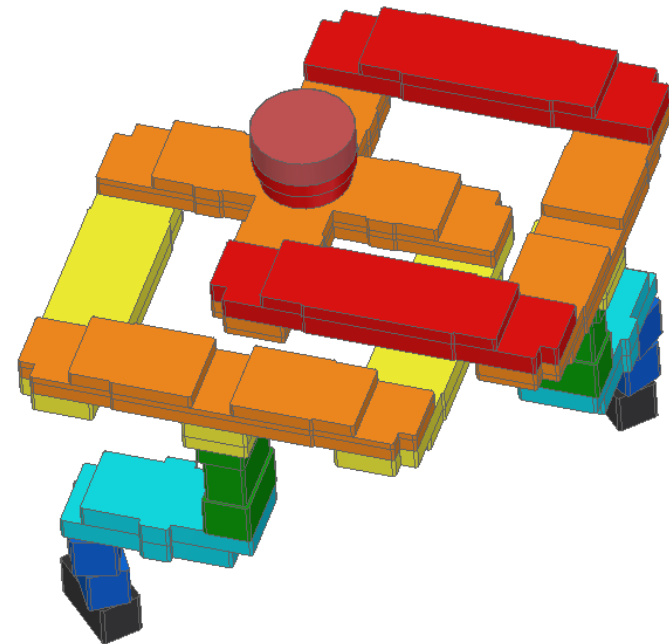
Stepped twists

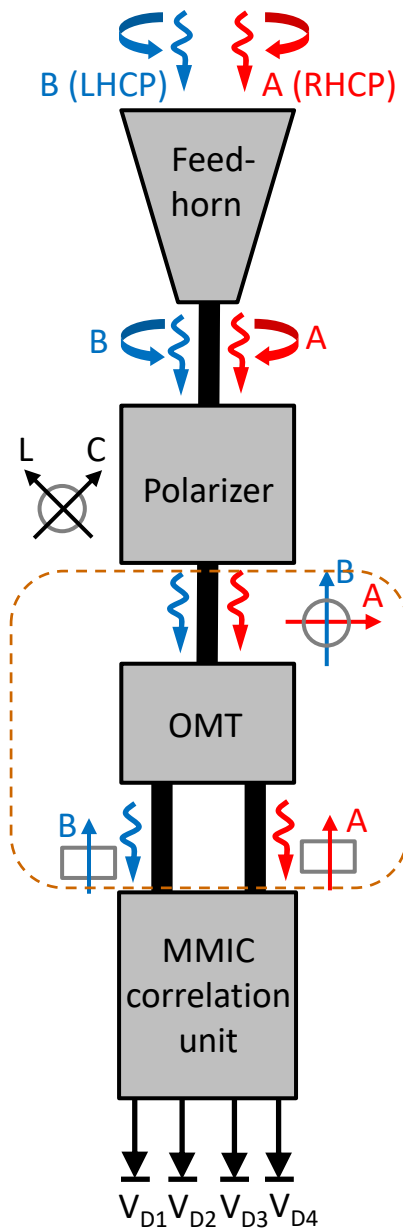




Turnstile-junction design

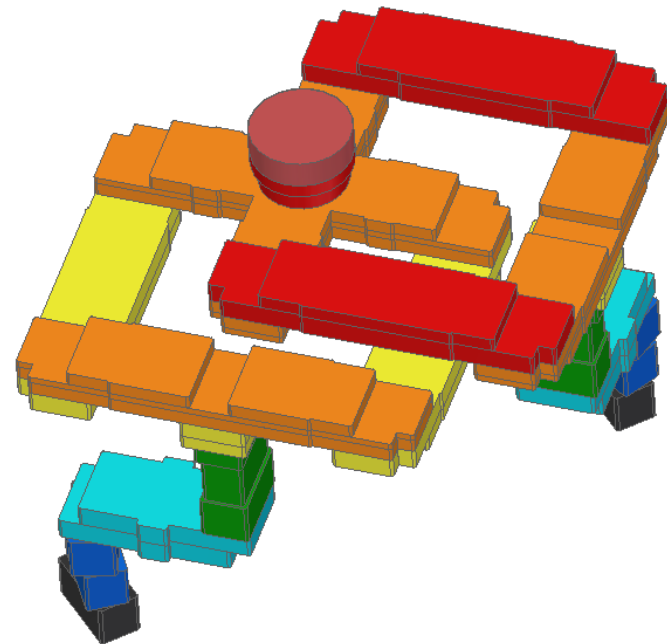
- Multi-layer layout with standard-thickness metal layers (platelet technique)
- **Symmetric design** \leftrightarrow **channel equalization**
- Plumbing to match the correlation unit flange

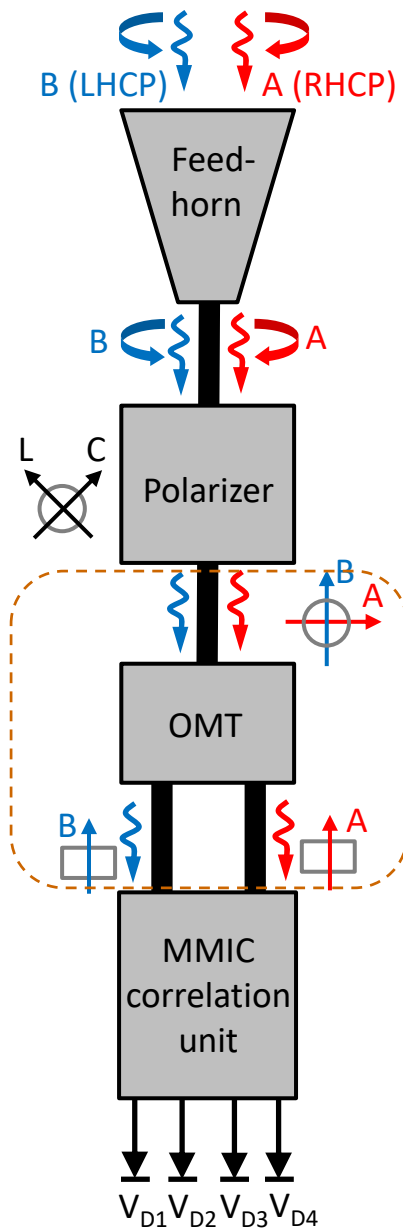




Turnstile-junction design

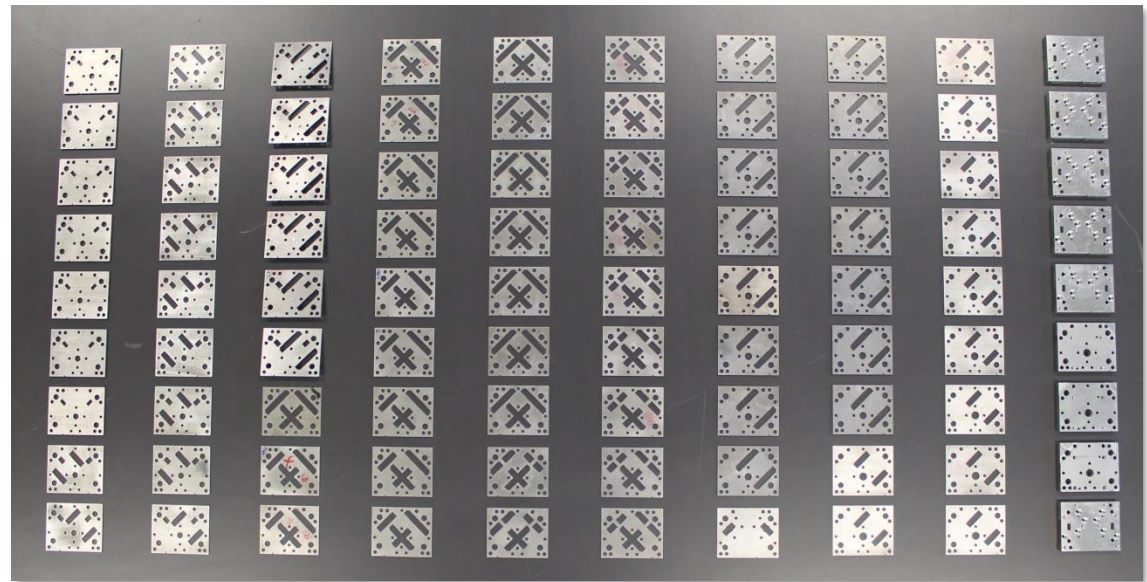
- Multi-layer layout with standard-thickness metal layers (platelet technique)
- Symmetric design \leftrightarrow channel equalization
- Plumbing to match the correlation unit flange

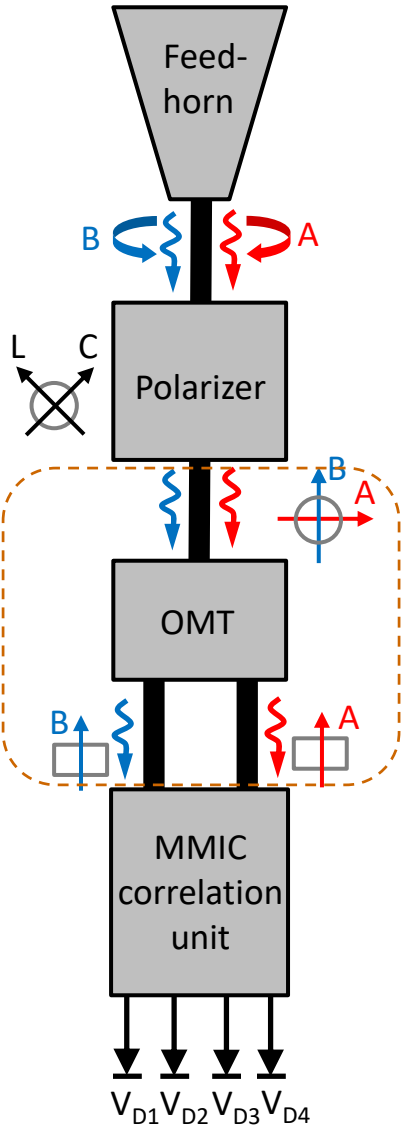
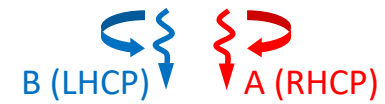




Turnstile-junction design

- Multi-layer layout with standard-thickness metal layers (platelet technique)
- Symmetric design \leftrightarrow channel equalization
- Plumbing to match the correlation unit flange
- Manufacturing process parallelization (wire EDM)

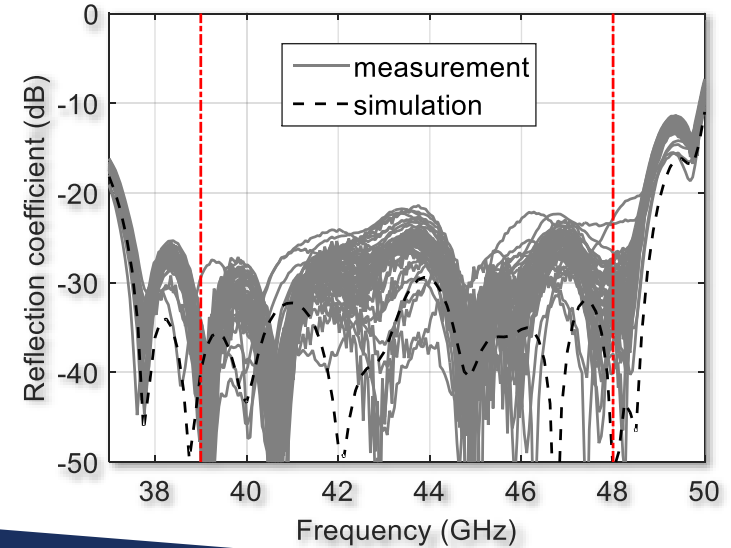


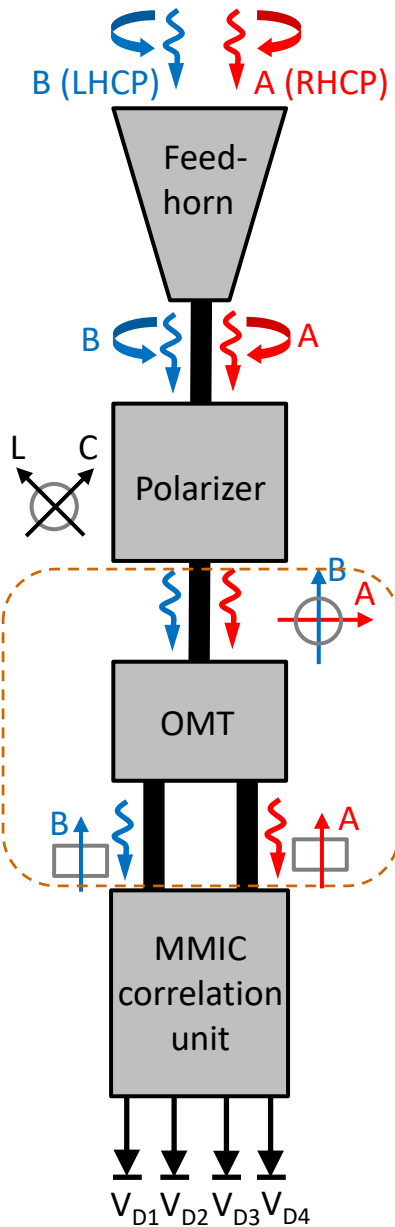


Measured performances	
Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
Return loss (dB)	> 22 (> 5)
Insertion loss (dB)	< 0.6 (< 0.3 silver-plated)
Cross-coupling (dB)	< -50
Isolation (dB)	50

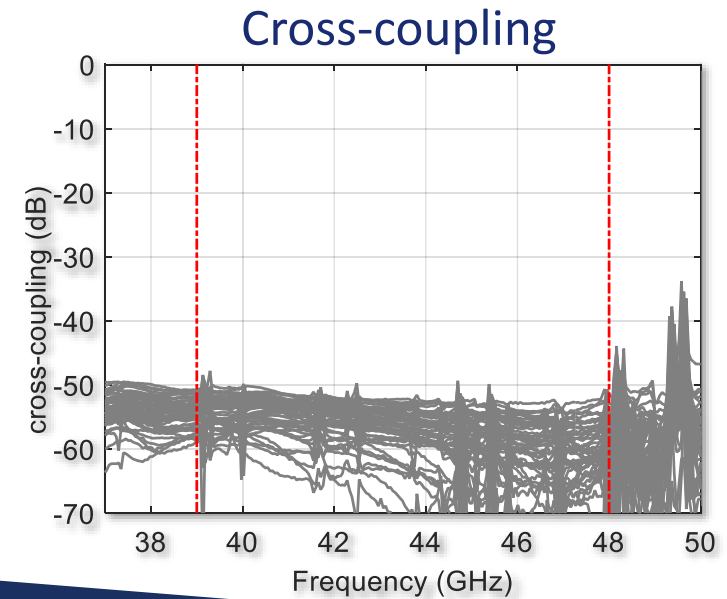
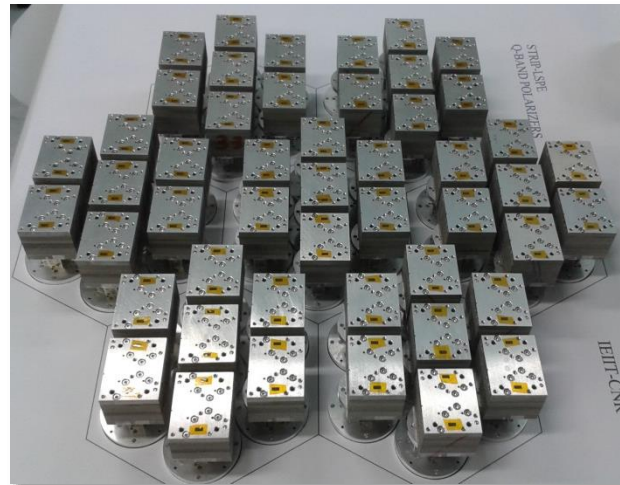


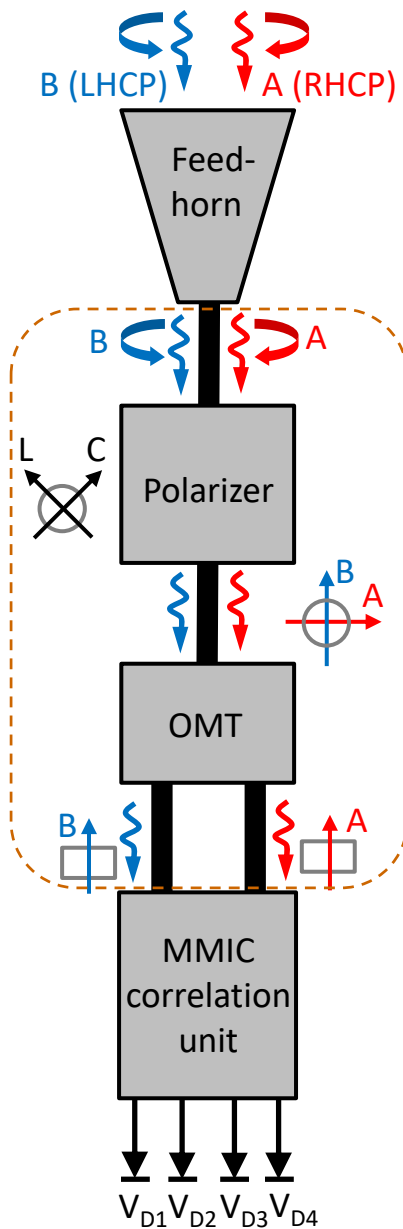
Reflection coefficient





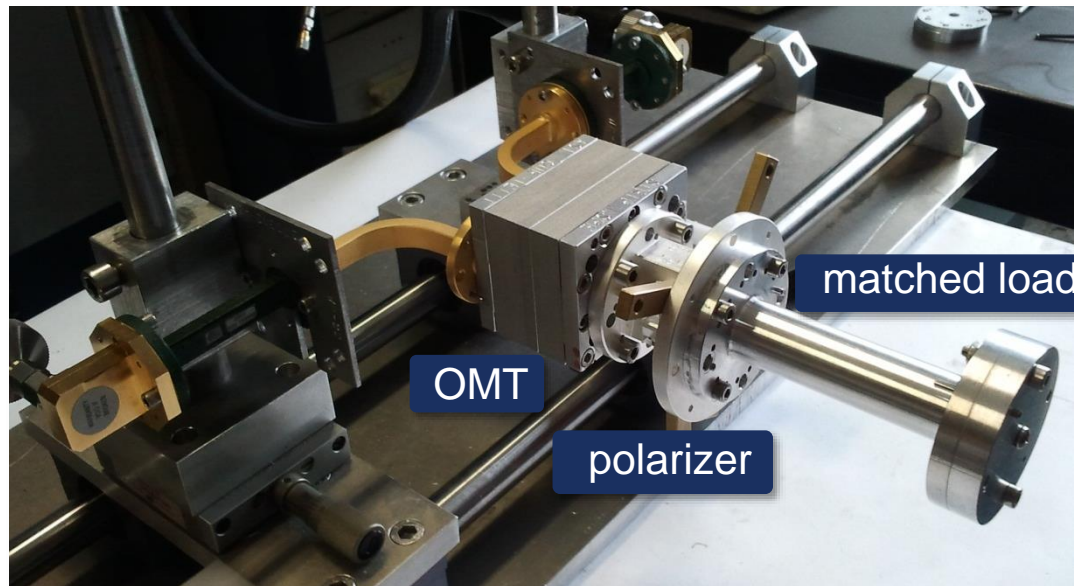
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Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
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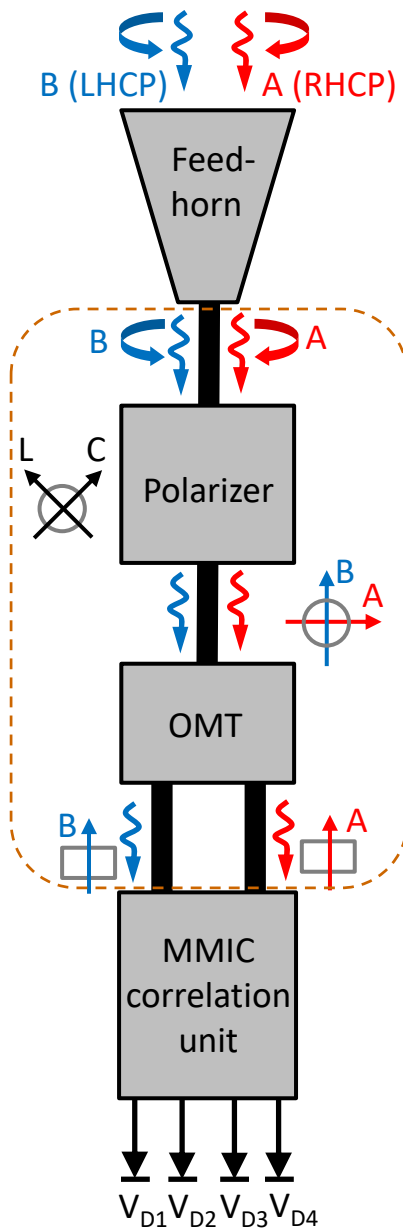




Dual-Mode Short Delay Reactive Load (DM-SDRL)

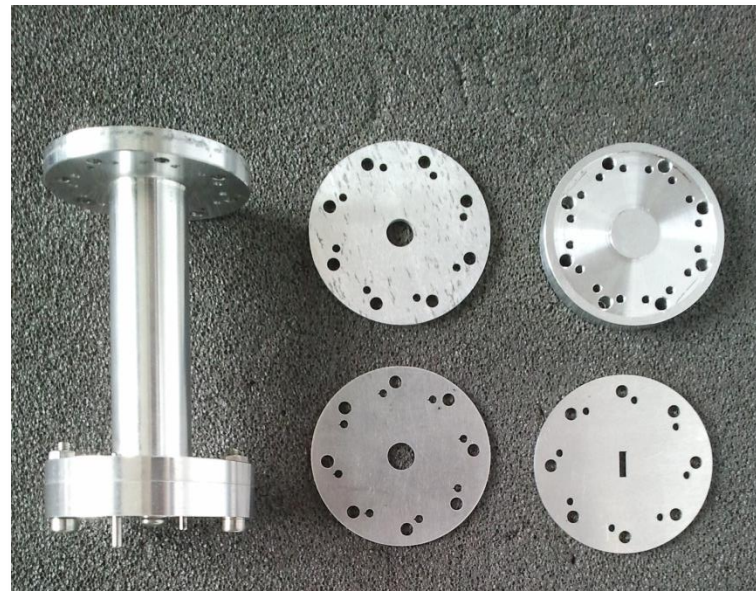
- Reflection measurement @ rectangular ports
- Five standard loads
- Complete dual-polarization characterization
- Extendible to over-moded waveguide devices (MM-SDRL)

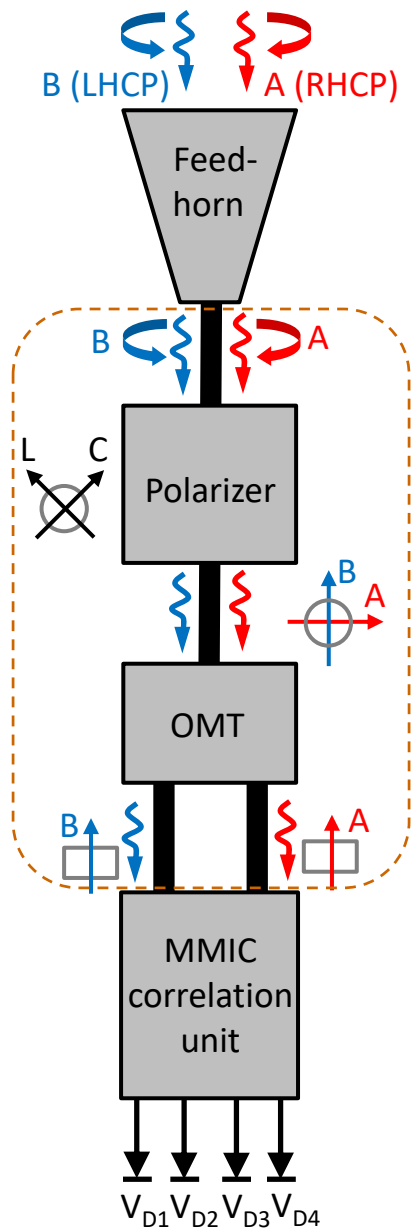




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- Reflection measurement @ rectangular ports
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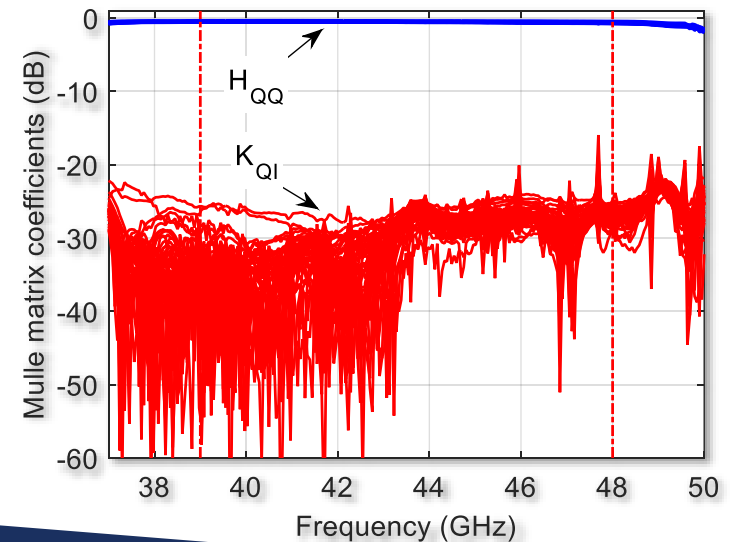


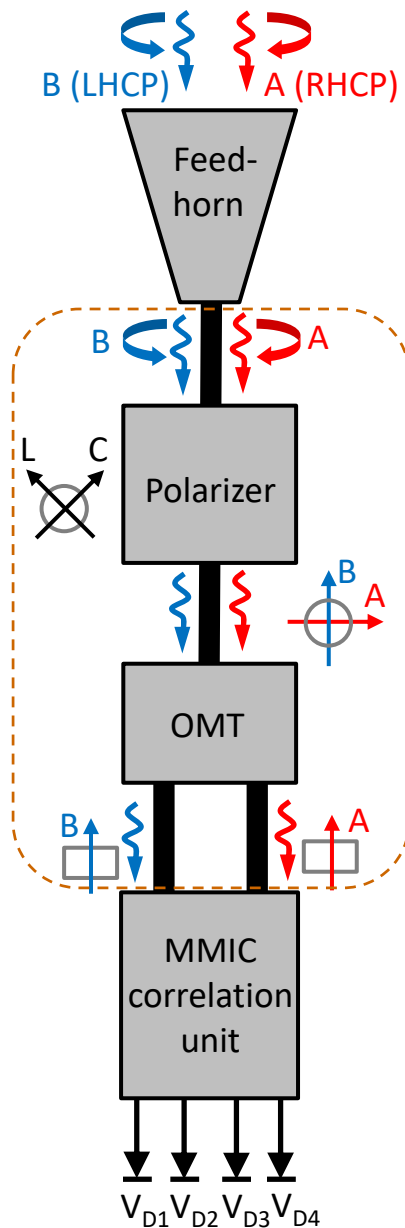


Measured performances	
Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
Return loss (dB)	> 22 (> 5)
Insertion loss (dB)	< 0.7
Cross-coupling (dB)	< -35
Isolation (dB)	40



Muller matrix coefficients for Q-channel

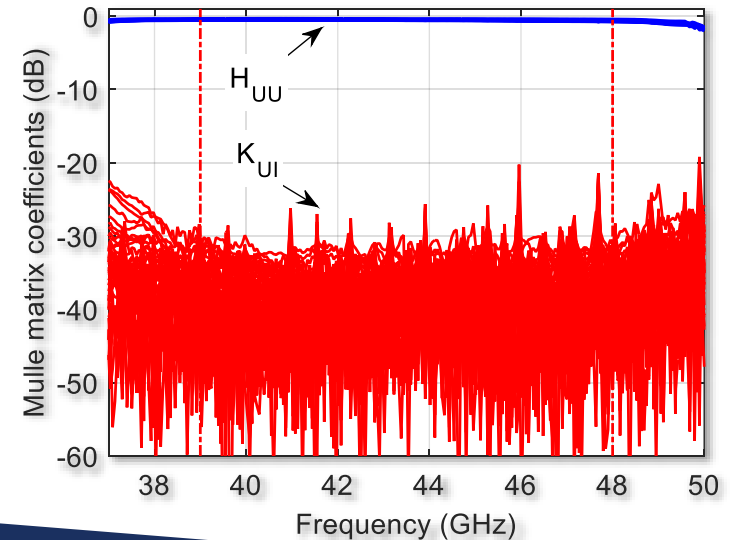


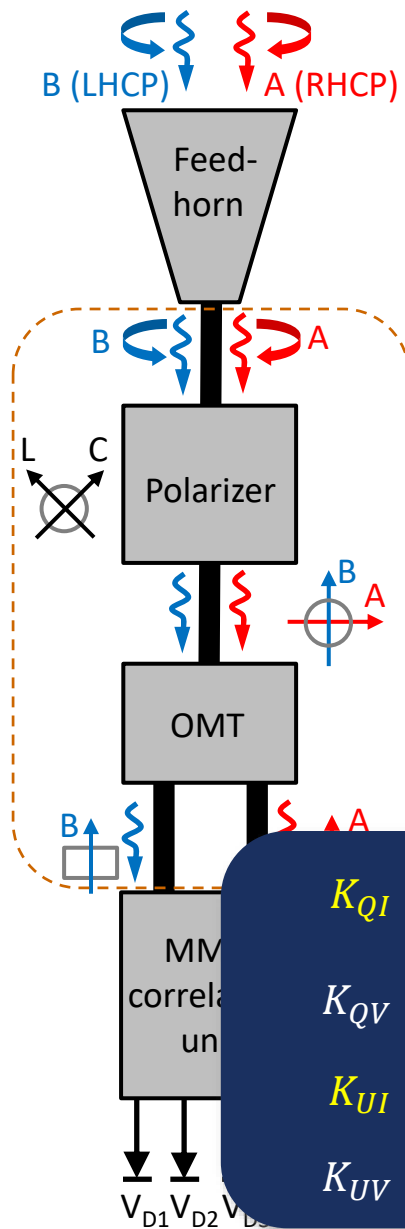


Measured performances	
Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
Return loss (dB)	> 22 (> 5)
Insertion loss (dB)	< 0.7 (< 0.4 silver-plated)
Cross-coupling (dB)	< -35
Isolation (dB)	40



Muller matrix coefficients for U-channel





Measured performances	
Band (GHz)	39 – 48 (nominal) (21%) 29 – 50 (enlarged) (53%)
Return loss (dB)	> 22 (> 5)
Insertion loss (dB)	< 0.7 (< 0.4 silver-plated)
Cross-coupling (dB)	< -35
Isolation (dB)	40



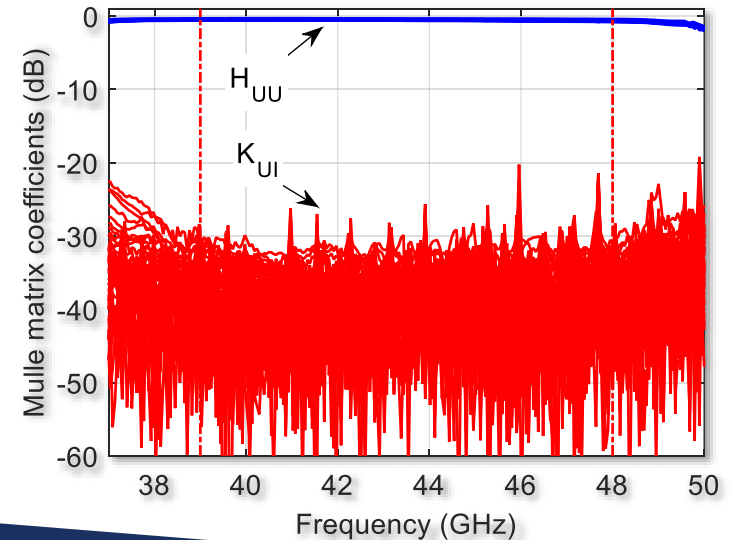
$$K_{QI} = \text{Re}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{QV} = -\text{Re}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}$$

$$K_{UI} = \text{Im}\{T_{AA}T_{BA}^* + T_{AB}T_{BB}^*\}$$

$$K_{UV} = -\text{Im}\{T_{AA}T_{BA}^* - T_{AB}T_{BB}^*\}.$$

Muller matrix coefficients for U-channel



Thank you for your attention